

## AN CLASS OF INVISIBLE SPACES

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ABSTRACT. A space,  $X$ , is said to have a *small diagonal* if there is no  $\omega_1$ -sequence in  $X^2 \setminus \Delta(X)$  that converges to  $\Delta(X)$ . Clearly metrizable spaces (even those with a  $G_\delta$ -diagonal) have small diagonals. An old conjecture states that the converse is true for compact Hausdorff spaces: every csD space (short for **compact small Diagonal**) is metrizable. Thus far all partial results point in the direction of a positive solution; this means that we have no illustrative/instructive examples of csD spaces: non-metrizable csD spaces have thus far remained invisible. I will survey older and more recent work on this conjecture.

This represents joint work with Alan Dow.